

While publishing the results of your simulations based on this code please reference C.S.Chang et al., *Appl. Phys. Lett.* **104**, 032408 (2014).

This worksheet calculates characteristics of excitation and reception of Damon-Eshbach spin waves in thin ferromagnetic films by microscopic coplanar stripline antennas.

**SI units are used in this code!**

Film thickness in metres:

$$L_w := 110 \cdot 10^{-7} \cdot 10^{-2}$$

Saturation magnetisation in A/m:

$$M_0 := 886 \cdot 4 \cdot \pi \cdot 80 = 8.907 \times 10^5$$

in Gauss this is equivalent to:

$$\frac{M_0}{80} = 11133.80436$$

Circular frequency in rad/sec:

$$\omega := 2 \cdot \pi \cdot 10 \cdot 10^9$$

In GHz this is equivalent to:

$$\frac{\omega}{2 \cdot \pi \cdot 10^9} = 10$$

If your material is not a continuous film, but a stripe of a finite width in the direction along the antenna, you may account for this approximately, by adding some demagnetizing field to the applied field. A valid estimation for the demag field value is a mean value of the demagnetising field of a stripe of an infinite length. It may be calculated with OOMMF (use the "Fast Pipe" option for a quicker result) or with LLG Micromagnetic Simulator. The Demagnetising field of the stripe is entered in A/m:

$$H_{\text{dem}} := 40 \cdot 80 = 3.2 \times 10^3$$

In Oe this is equivalent to:

$$\frac{H_{\text{dem}}}{80} = 40$$

Gyromagnetic ratio in (rad/s)/(A/m):

$$\gamma := \frac{2 \cdot \pi \cdot 2.8 \cdot 10^6}{80} = 2.199 \times 10^5$$

In Hz/Oe this is equivalent to:

$$\frac{\gamma \cdot 80}{2 \cdot \pi} = 2.8 \times 10^6$$

Gilbert alpha:

$$\alpha_G := 0.007$$

The width of the signal and the ground lines of the coplanar line in meters

$$w := 1.5 \cdot 10^{-4} \cdot 10^{-2} = 1.5 \times 10^{-6}$$

The width of the gaps between the signal and the ground lines:

$$\Delta := w \cdot 0.8$$

Enter here the width of the Permalloy stripe in meters

$$ws := 50 \cdot 10^{-6}$$


Enter the dielectric constant for the stripline substrate

$$\epsilon_s := 11$$

**Note that it is assumed that the characteristic impedance of the stripline is 50 Ohm!**

Enter here the distance between the axes of the input and output antennas in meters:

$$l_d := 30 \cdot 10^{-6}$$

 Wed Mar 26 08:58:53 2014

Enter the coordinate range along the direction of wave propagation over which you wish to calculate spin wave amplitude. zs is the normalised co-ordinate, the respective absolute co-ordinate is zs\*ws.

$$zs := -20, -19.9.. 20$$

Guess value for the internal field:

$$H_0 := 80 \cdot 1000$$

Calculated FMR ( $k=0$ ) internal field for the given frequency:

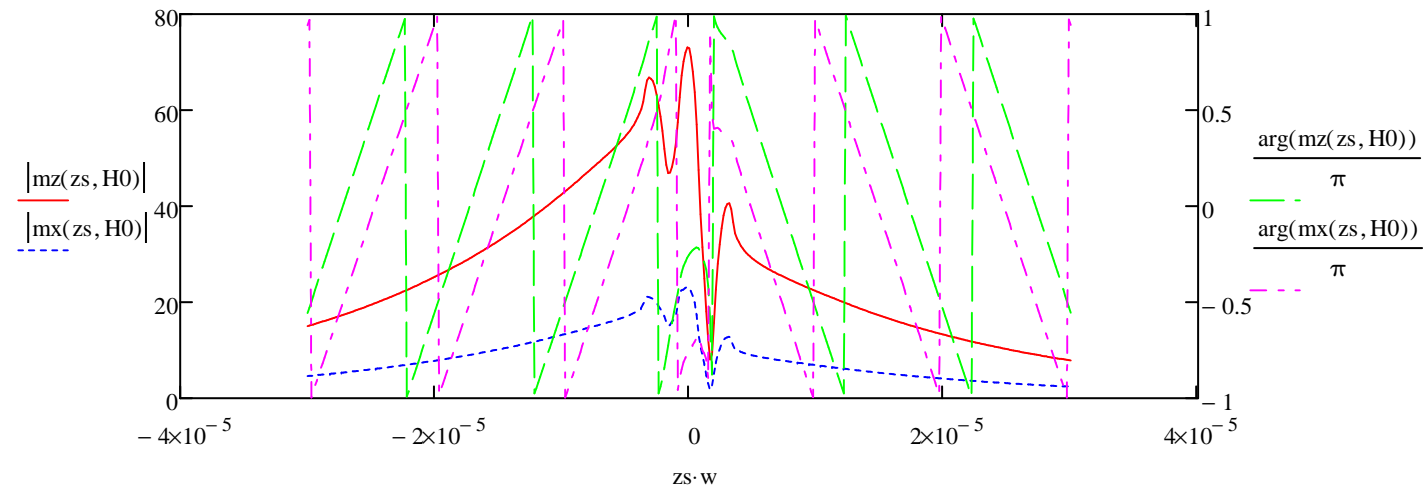
$$H_r := \text{root}\left[\sqrt{H_0 \cdot (H_0 + M_0)} - \frac{\omega}{\gamma}, H_0\right] = 8.377 \times 10^4 \quad \frac{H_r}{80} = 1.047 \times 10^3$$

$$H_B := \frac{\omega}{\gamma} - \frac{M_0}{2} = -1.596 \times 10^5 \quad \frac{H_B}{80} = -1.995 \times 10^3$$

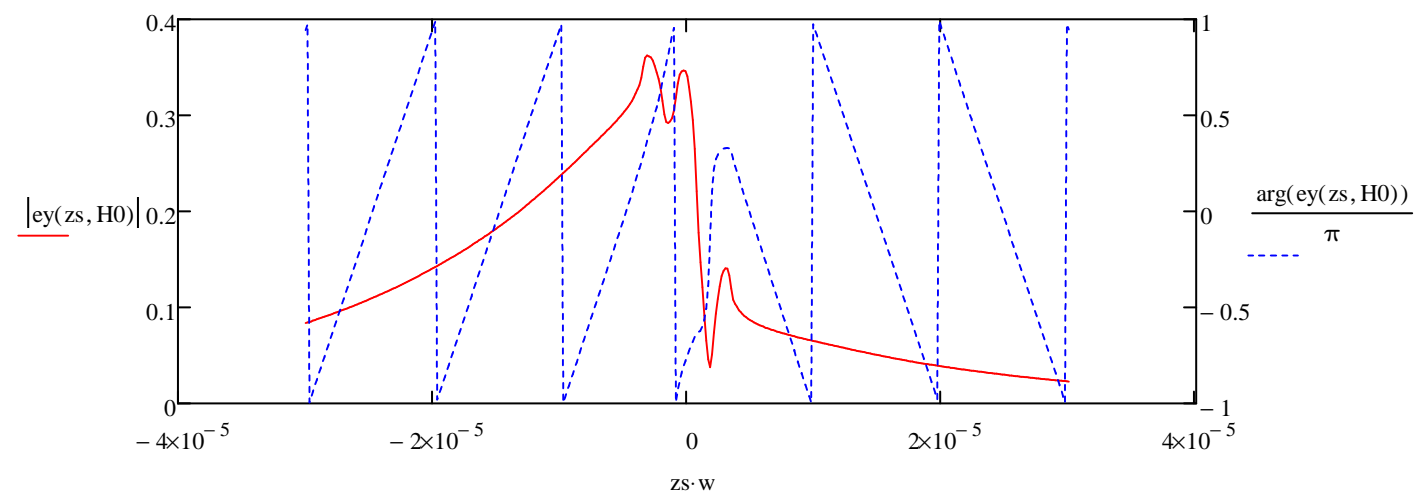
Enter here some field value H0 for which you wish to calculate the dynamic magnetisation profile for travelling DE waves. The excitation antenna axis is at zs=0. mz is the in-plane magnetisation component, mx is the out-of-plane one, and ey is the electric field of the wave.

$$H_0 := H_r \cdot 0.7$$

Dynamic magnetisation as a function of in-plane co-ordinate. Units along the horizontal axis: meters

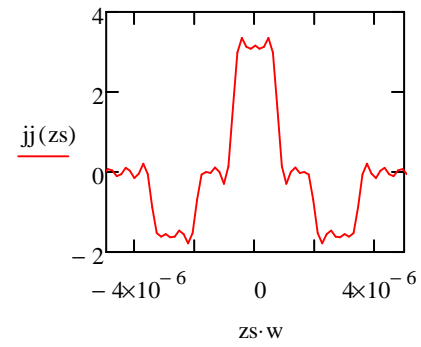


The electric field of dynamic magnetisation (it is parallel to the antenna)



-ez

microwave current density distribution across CPW via inverseFourier transform

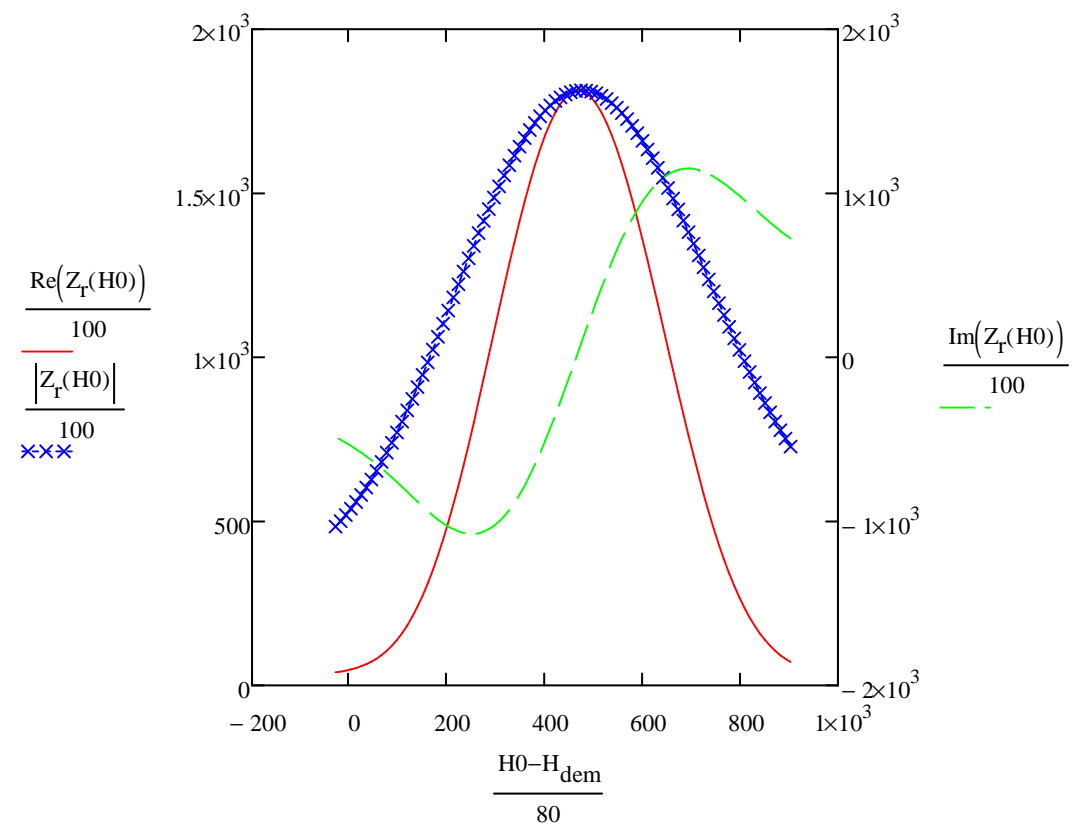


All characteristics are calculated applied-field resolved for a given frequency. Please contact me if you need frequency-resolved traces for a given value of the applied field.

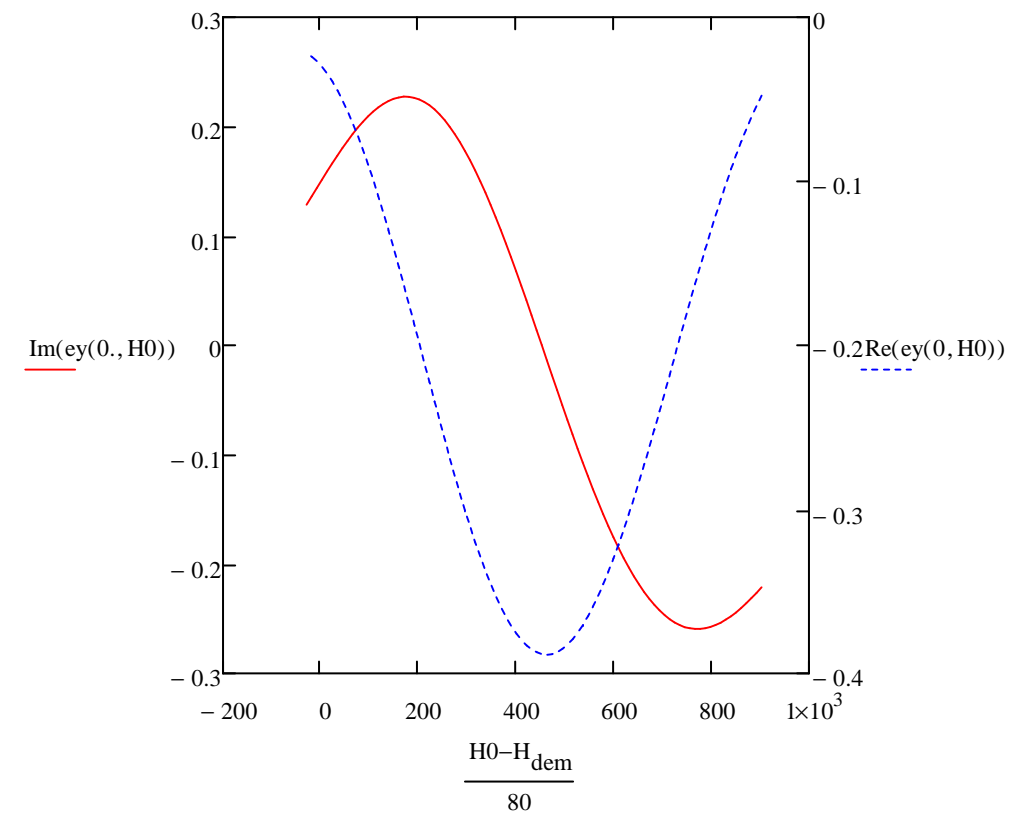
The applied field range:

$$H_0 := Hr - 0.9, Hr - 0.89 .. Hr - 0.01$$

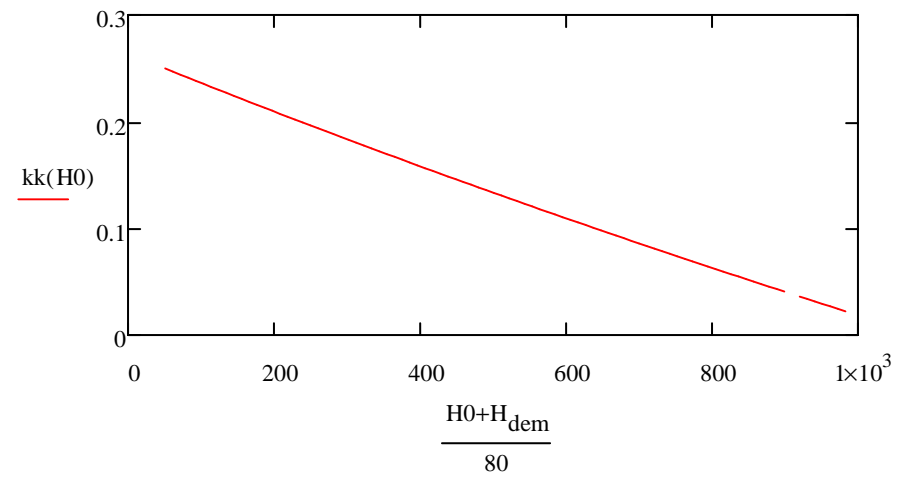
The radiation resistance of the antenna in Ohm/cm vs. the internal field in Oe



The electric field of spin waves on the axis of the excitation antenna

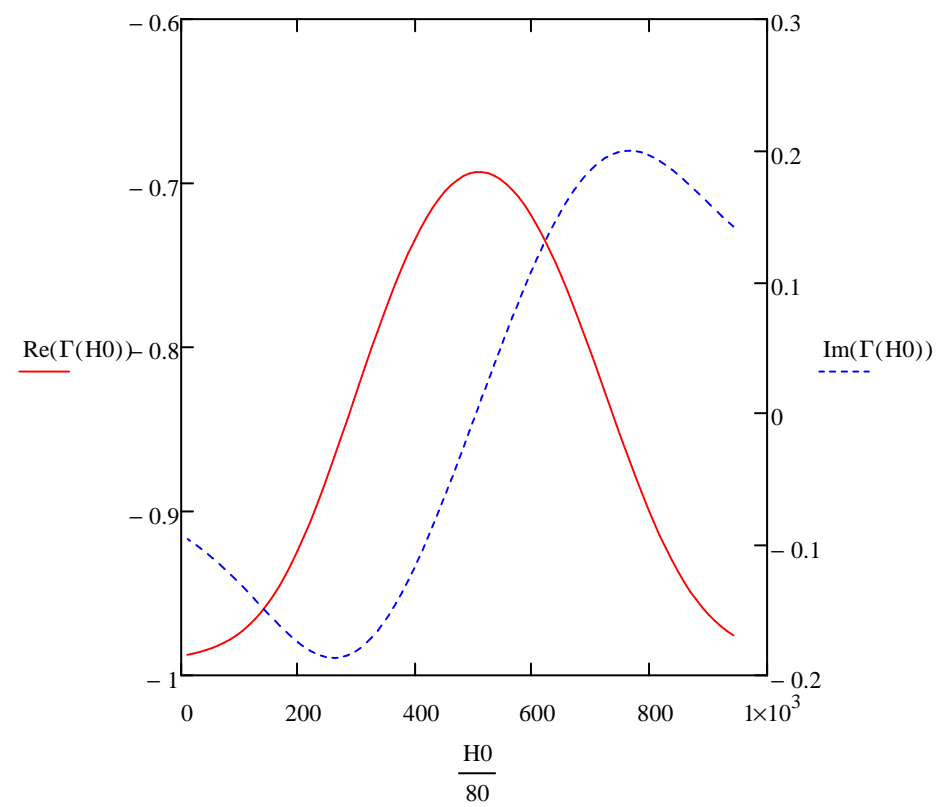


Field-resolved Damon-Eshbach spin wave dispersion:



Wed Mar 26 08:57:48 2014

Microwave reflection coef from the input of the excitation antenna:



Wed Mar 26 08:57:33 2014

Transmission coefficient of the whole fixture as a function of the applied field (left-hand axis). Beat of the transmitted signal with the signal of the direct inductive coupling between the two

antennas (right-hand axis, given here for illustration purposes). The amplitude of the direct coupling is assumed to be 1 and field-independent.

